

## Erratum:

# Uniform preconditioners for the time dependent Stokes problem

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The date of receipt and acceptance will be inserted by the editor

It has been observed by M. Olshanskii and A. Reusken that there is a gap in the proof of Lemma 1 of our paper [2]. The bound (4) should not be applied directly to the operator  $\mathbf{grad}^{-1}$ , but to an operator of the form  $T = \mathbf{grad}^{-1} \circ \mathbf{P}$  mapping the entire space  $\mathbf{H}^{-1}$  onto  $L_0^2$ . It is required that the operator  $\mathbf{P}$  maps  $\mathbf{H}^{-1}$  onto the space  $\mathbf{G}_0 = \mathbf{grad}(L_0^2)$ , is invariant on  $\mathbf{G}_0$ , and bounded in  $\mathbf{H}^{-1}$  and  $\mathbf{L}^2$ . The desired bound then follows by applying (4) to the identity  $q = T \mathbf{grad} q$ . The natural choice for  $\mathbf{P}$  is the  $\mathbf{H}^{-1}$  projection onto  $\mathbf{G}_0$ , defined from the linear Stokes system, which is  $\mathbf{L}^2$  bounded if the polygonal domain  $\Omega$  is convex, cf. [1]. Therefore, convexity of  $\Omega$  should be stated as an assumption for Lemma 1 and the later discussion given in [2]. We refer to [3] for further details.

## References

1. M. Dauge, Stokes and Navier–Stokes systems on two– or three–dimensional domains with corners. Part I: Linearized equations, SIAM J. Math. Anal. 20 (1989), 74–97.
2. K.A. Mardal and R. Winther, Uniform preconditioners for the time dependent Stokes problem, Numer. Math. 98 (2004), pp. 305–327.
3. M. Olshanskii, J. Peters, and A. Reusken, Uniform preconditioners for a parameter dependent saddle point problem with application to generalized Stokes interface equations, Preprint 2005.